



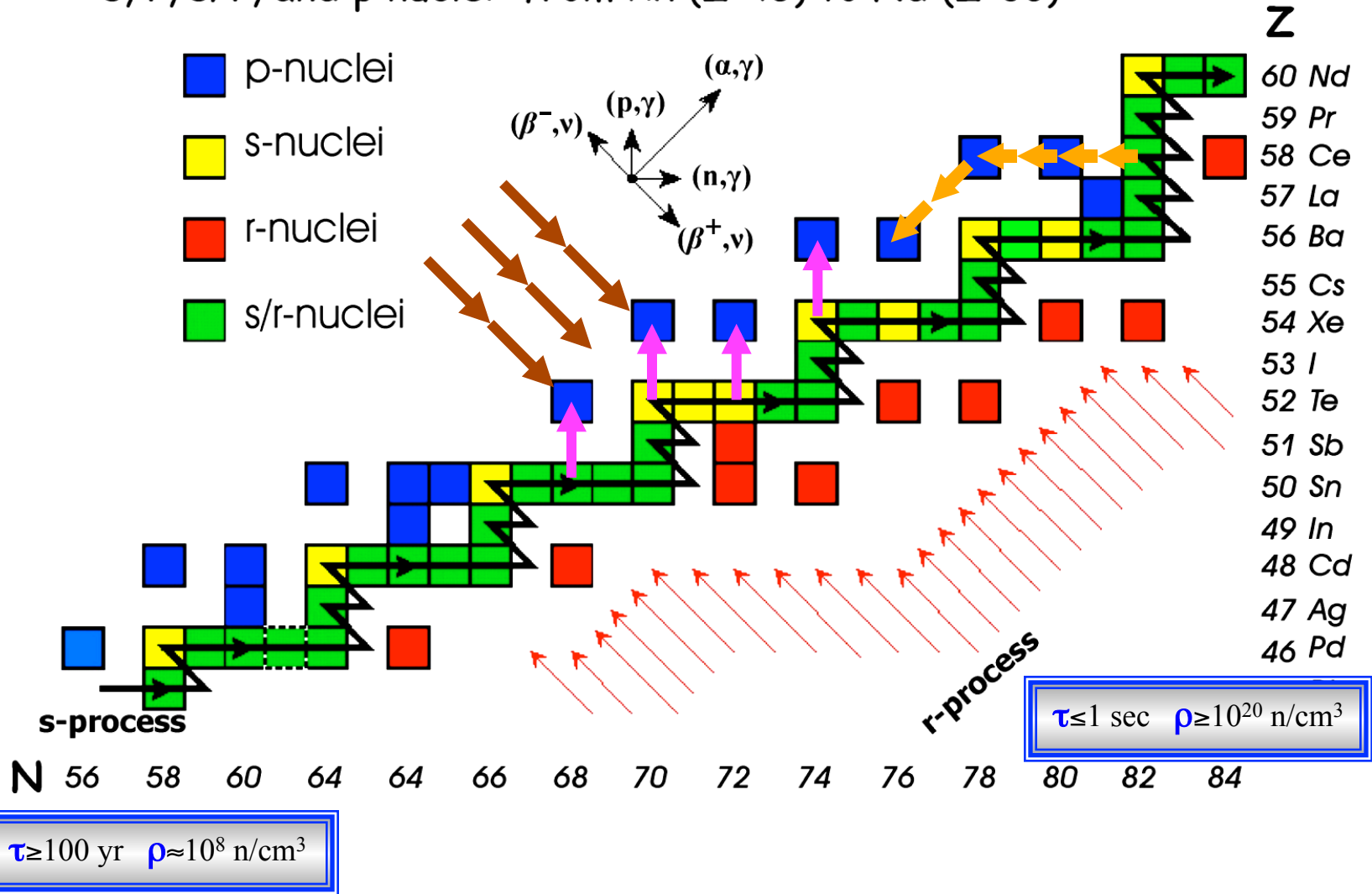
Cross section measurements of capture reactions relevant to Nuclear Astrophysics

A. Lagoyannis

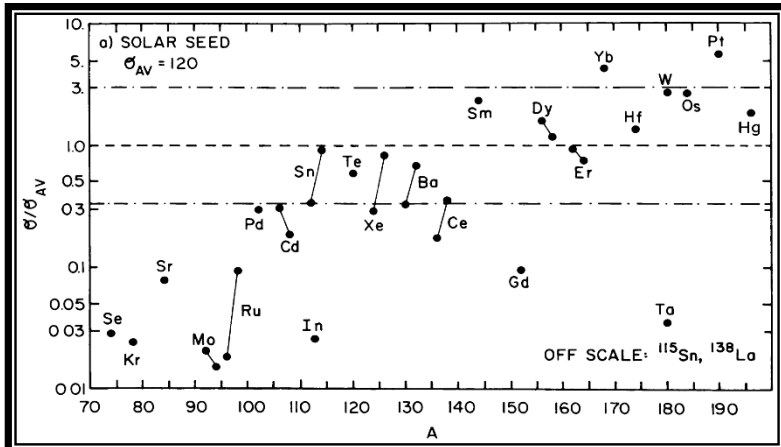
Institute of Nuclear and Particle Physics,
N.C.S.R. “Demokritos”

Pathways for heavy-element nucleosynthesis

s, r, s/r, and p nuclei from Rh (Z=45) to Nd (Z=60)



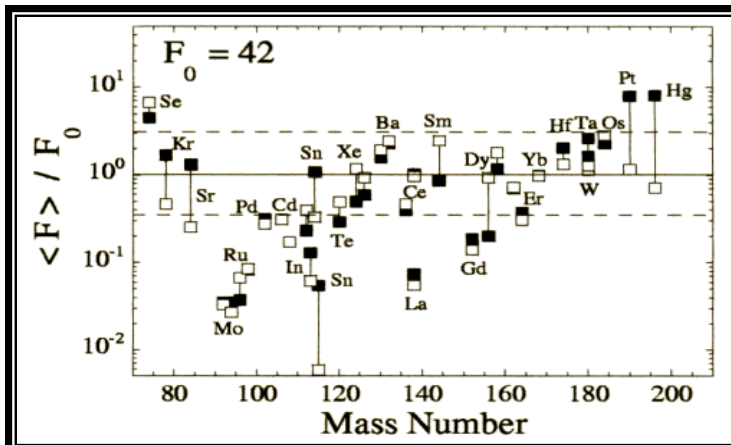
p nuclei and p-nuclei abundances



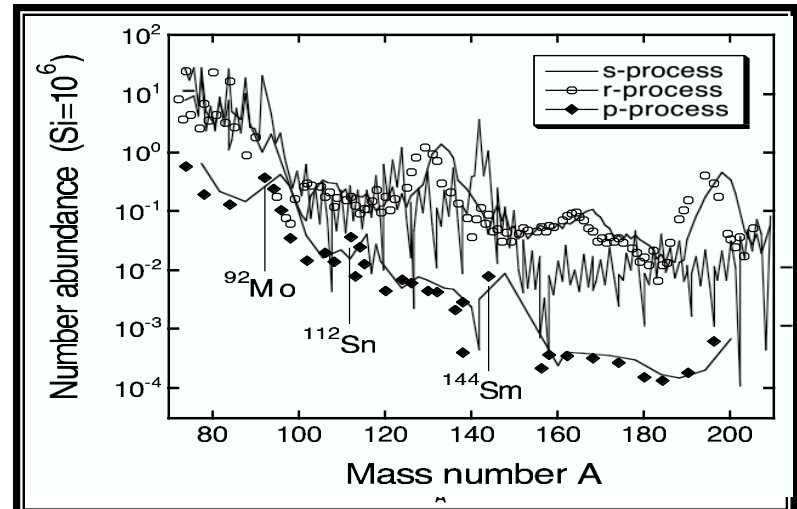
Woosley and Howard, Ap. J. Suppl. 36, 285 (1978)

p nucleus	(%)	p nucleus	(%)	p nucleus	(%)
^{74}Se	0.89	^{114}Sn	0.65	^{156}Dy	0.06
^{78}Kr	0.35	^{115}Sn	0.34	^{158}Dy	0.10
^{84}Sr	0.56	^{120}Te	0.096	^{162}Er	0.14
^{92}Mo	14.84	^{124}Xe	0.10	^{164}Er	1.61
^{94}Mo	9.25	^{126}Xe	0.09	^{168}Yb	0.13
^{96}Ru	5.52	^{130}Ba	0.106	^{174}Hf	0.162
^{98}Ru	1.88	^{132}Ba	0.101	^{180}Ta	0.012
^{102}Pd	1.02	^{138}La	0.09	^{180}W	0.13
^{106}Cd	1.25	^{136}Ce	0.19	^{184}Os	0.02
^{108}Cd	0.89	^{138}Ce	0.25	^{190}Pt	0.01
^{113}In	4.3	^{144}Sm	3.1	^{196}Hg	0.15
^{112}Sn	0.97	^{152}Gd	0.20		

abundances

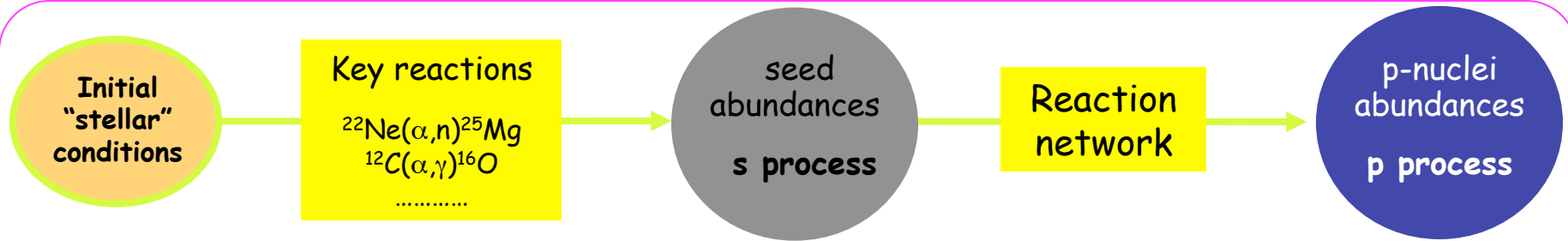


S. Goriely et al., A&A 375, 35 (2001)



C. Iliadis, Nuclear Physics of Stars (2008)

Reaction network



$$\langle \sigma v \rangle = \left(\frac{8}{\pi \mu} \right)^{1/2} \frac{1}{(kT)^{3/2}} \int_0^{\infty} \sigma(E) \cdot E \cdot \exp\left(-\frac{E}{kT}\right) dE$$

HAUSER-FESHBACH THEORY is required !

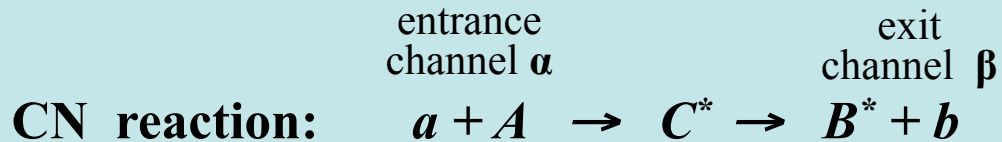
HAUSER-FESHBACH THEORY

Optical Model Potentials - Nuclear Level Densities
 γ -ray strength functions - Masses

($32 \leq Z \leq 83$, $36 \leq N \leq 131$)

**NEED FOR GLOBAL MODELS OF
OMP, NLD, ...**

Cross section calculations using the HF theory



$$\sigma = \pi \hat{\lambda}^2 \frac{1}{(2J_\alpha + 1)(2J_A + 1)} \sum_{J^\pi} (2J_C + 1) \frac{T_{\alpha A}^{J^\pi} T_{B\beta}^{J^\pi}}{\sum_l T_l^{J^\pi}}$$

TRANSMISSION COEFFICIENTS

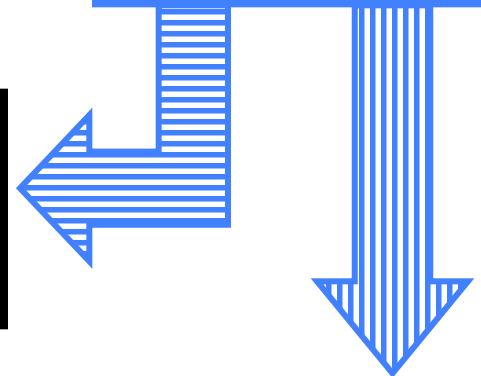
Particle emission T_s
are calculated by
Optical Model Potentials (OMP)

When CN is excited to “continuum” then T_s have to be averaged

$$T_\beta^{J^\pi}(E) = \sum_{i=1}^w T_\beta^{J^\pi}(E) + \int_{E_w}^U T_\beta^{J^\pi}(E) \rho(E, J) dE$$

Nuclear Level Density (NLD)

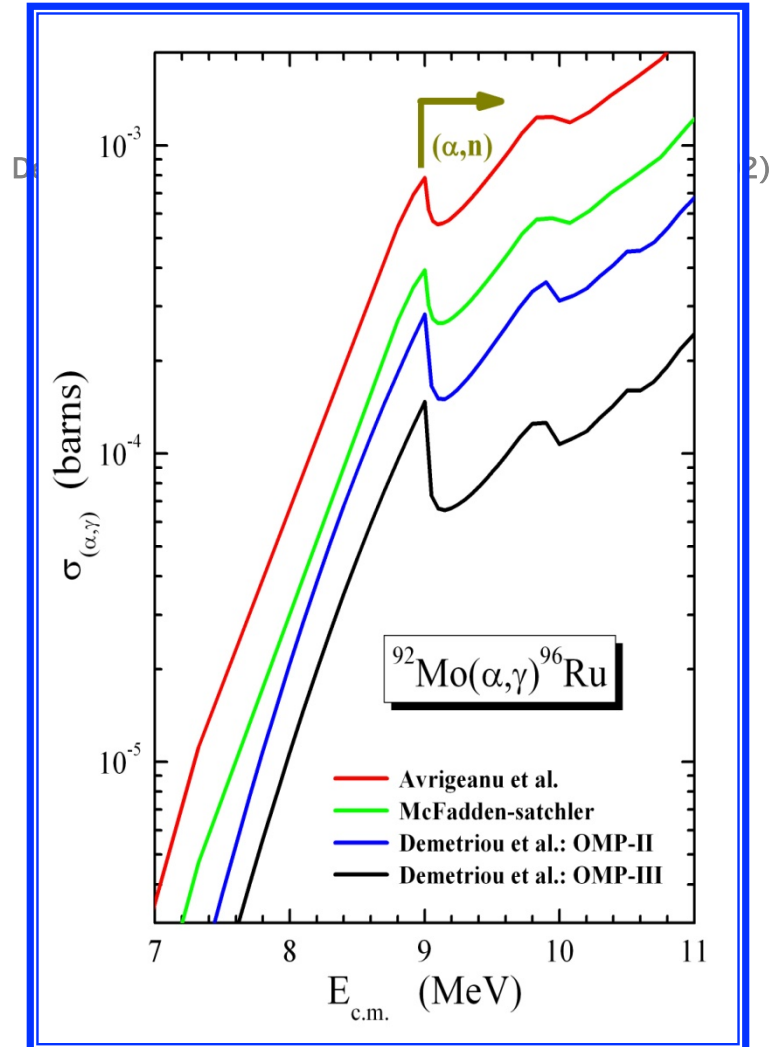
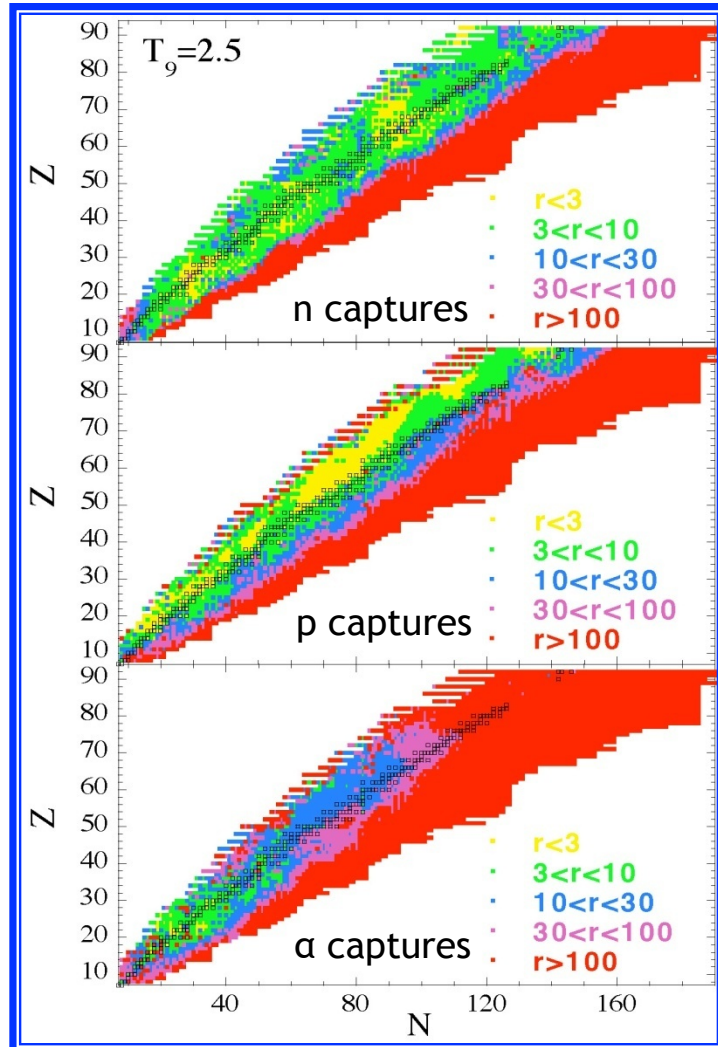
γ Emission
is described by the
Giant Dipole Resonance
 T_s are calculated by
 γ -ray strength functions



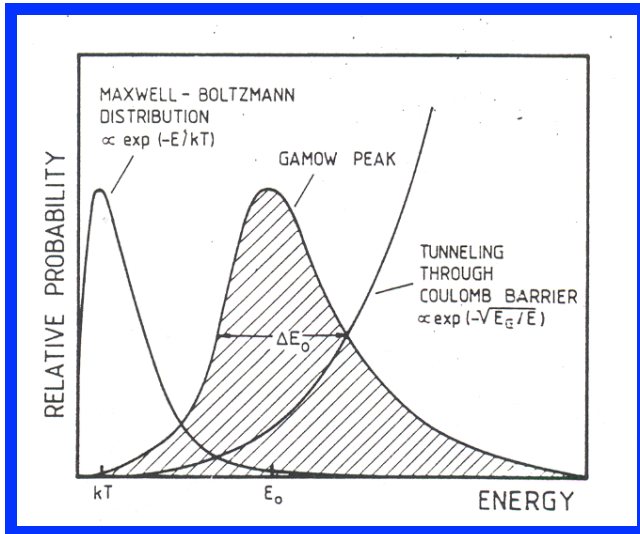
Impact of nuclear physics uncertainties on p-nuclei abundances

$r := \langle \sigma v \rangle_{\text{max.}} / \langle \sigma v \rangle_{\text{min.}}$ obtained with 14 different sets of nuclear ingredients (OMP, NLD, ...) in HF calculations.

M. Arnould and S. Goriely, Phys. Rep. 384, 1 (2003)



Gamow peaks and windows: the astrophysically relevant energies



charged-particle induced reactions

$$E_0 = (bkT/2)^{2/3}$$

$$b^2 = E_G = 2\mu\pi^2 \frac{e^4 Z_i^2 Z_p^2}{\hbar^2}$$

$$\Delta E = \sqrt{\frac{16E_0 kT}{3}} \exp(-3E_0/kT)$$

reaction	barrier (MeV)	E_0 (keV)	T (K)
p + p (sun)	0.55	5.9	1.5×10^7
$\alpha + {}^{12}\text{C}$ (red giants)	300	56	1.5×10^8
${}^{12}\text{C} + {}^{12}\text{C}$ (massive stars)	10.44	1500	$\approx 1 \times 10^9$
p + ${}^{74}\text{Se}$ (p process)	7.9	2800	$\approx 3 \times 10^9$

(p, γ) reactions: $E_{\text{CM}} = 1 - 5 \text{ MeV}$

(α , γ) reactions: $E_{\text{CM}} = 6-12 \text{ MeV}$

OUR GOAL

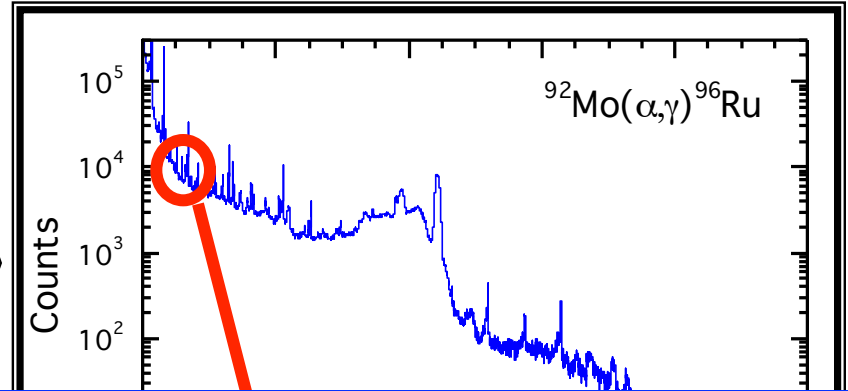
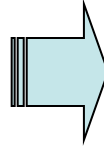
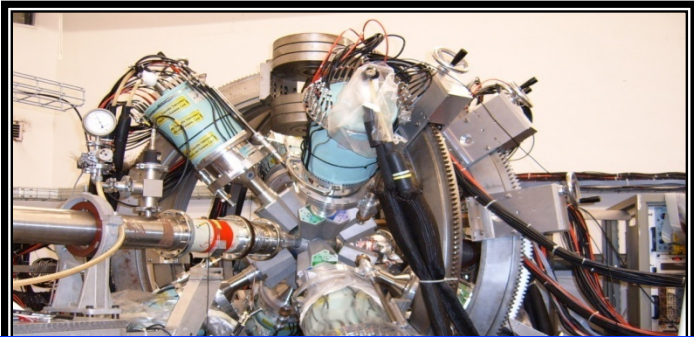


To measure the cross section σ at these energy regions

γ angular distribution measurements: the (α, γ) problem

MINIBALL

@ IKP/Cologne

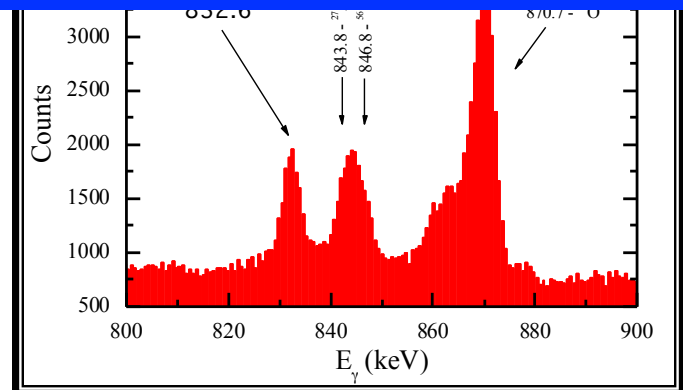
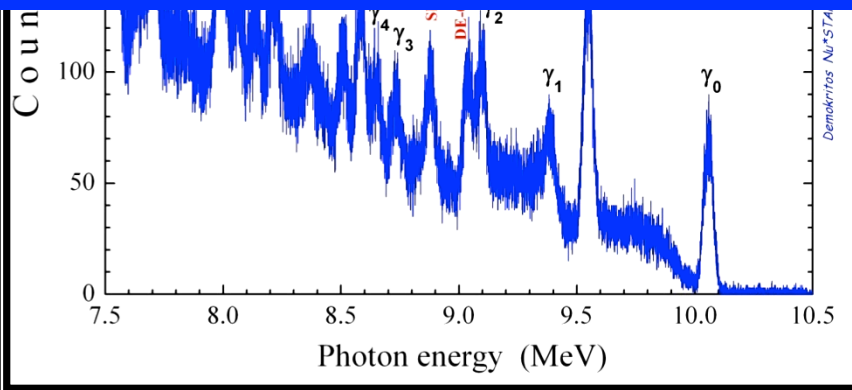


(p, γ) reactions: $E_{CM} = 1 - 5 \text{ MeV}$, $\sigma = 1 \mu\text{b} \div 1 \text{ mb}$

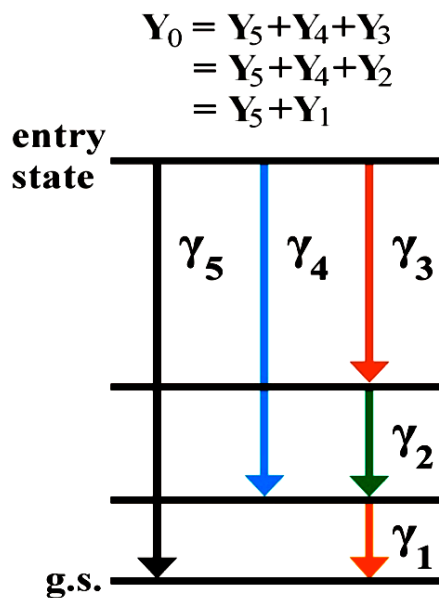
(α, γ) reactions: $E_{CM} = 6-12 \text{ MeV}$, $\sigma = 0.1 \div 100 \mu\text{b}$

(p, γ) reactions: NO PROBLEM TO MEASURE

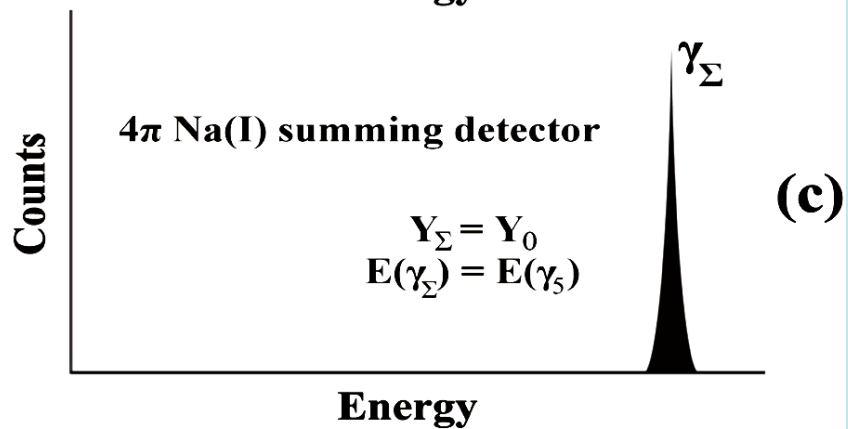
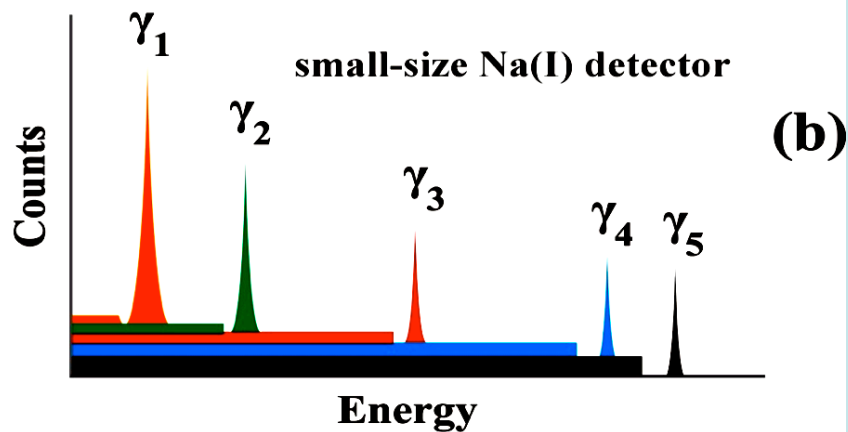
(α, γ) reactions: MAJOR PROBLEMS WITH BEAM-INDUCED BACKGROUND



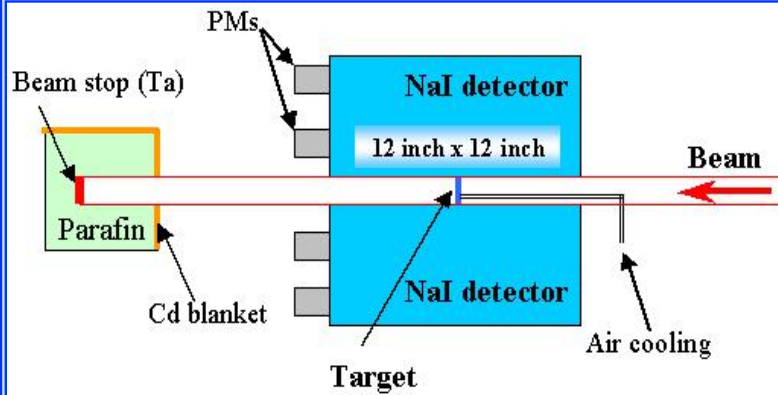
The 4π γ -summing method: The principle



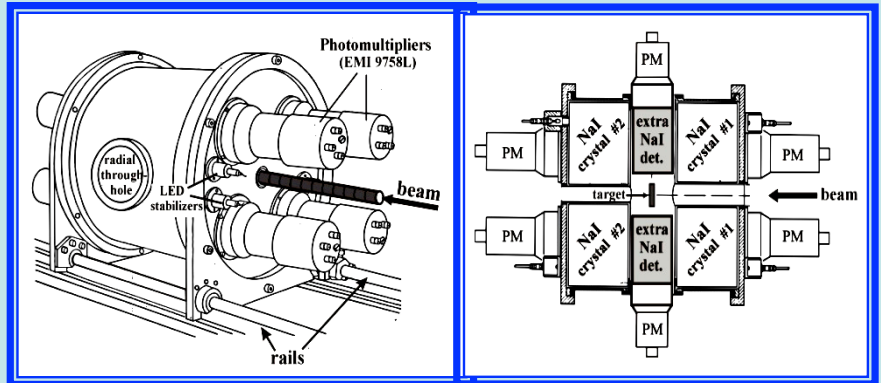
(a)



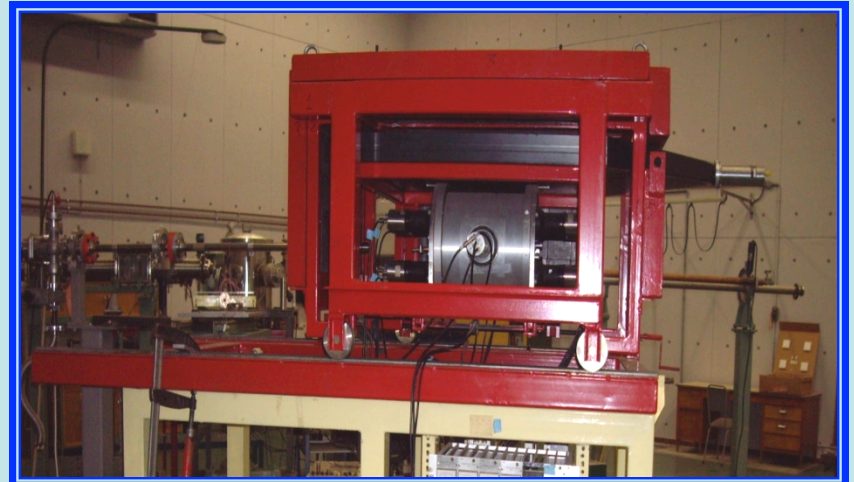
The 4π γ -summing method: The setup



@ DTL-Bochum



@ INP-Demokritos



The 4π γ-summing method: The $^{92}\text{Mo}(\alpha,\gamma)^{96}\text{Ru}$ example



$E_\alpha = 6 - 12 \text{ MeV}$

$\xi = 398 \mu\text{gr}/\text{cm}^2$

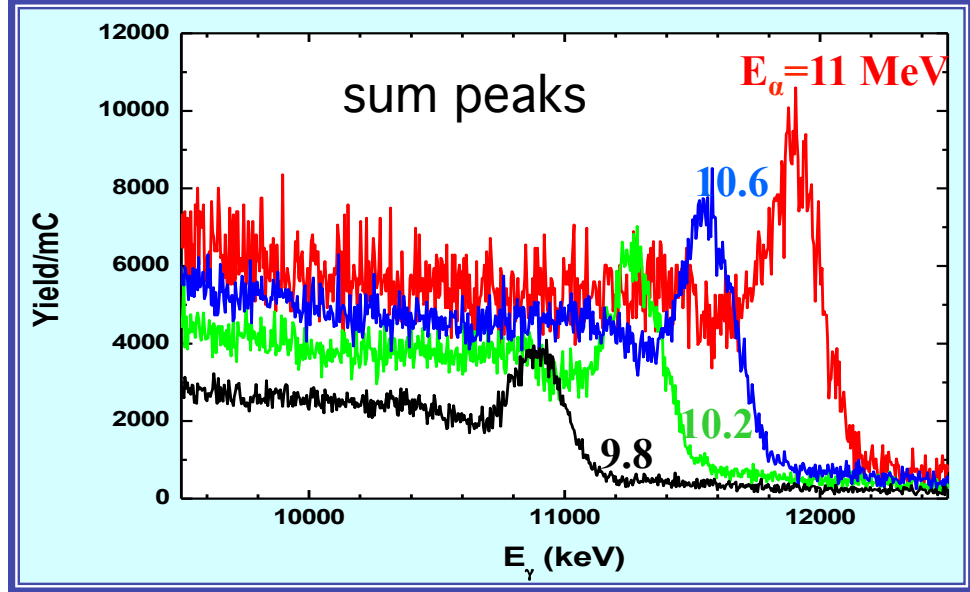
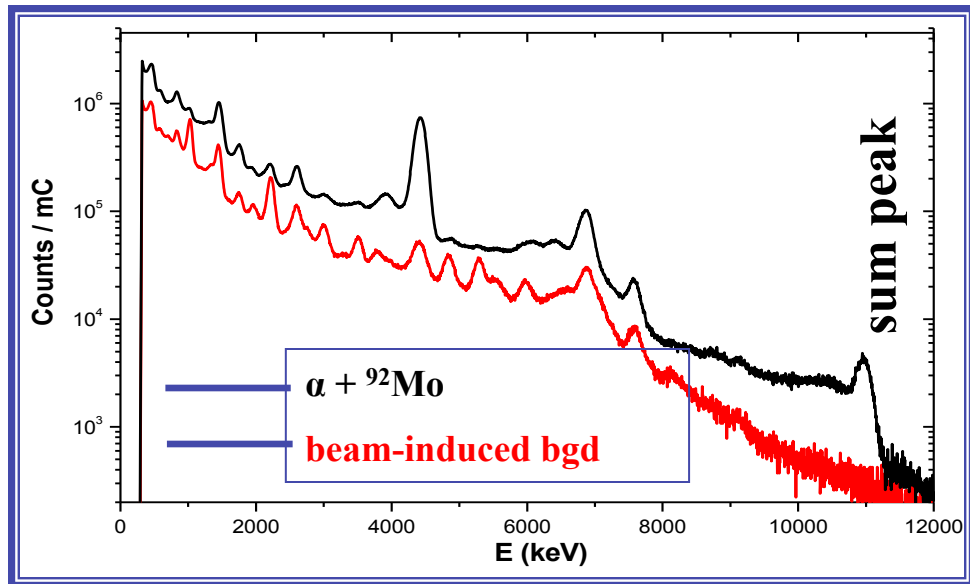
$$\sigma = (Y/\epsilon) * (1/\xi) * (A/N_A)$$

BUT $\epsilon = f(E, M)$

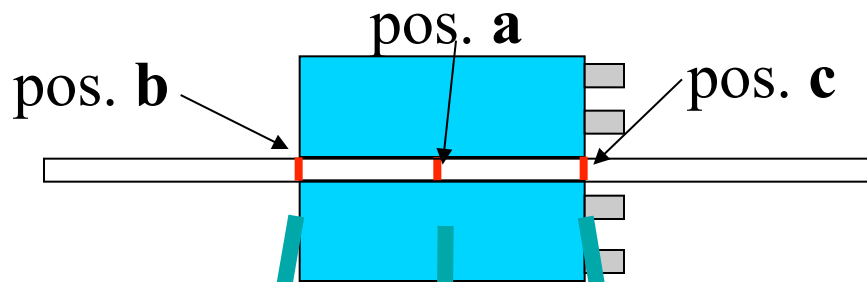
Solutions (up to now):

- Theoretical calculations
- Simulation

No “real” experimental solution



The 4π γ -summing method: Efficiency calculation



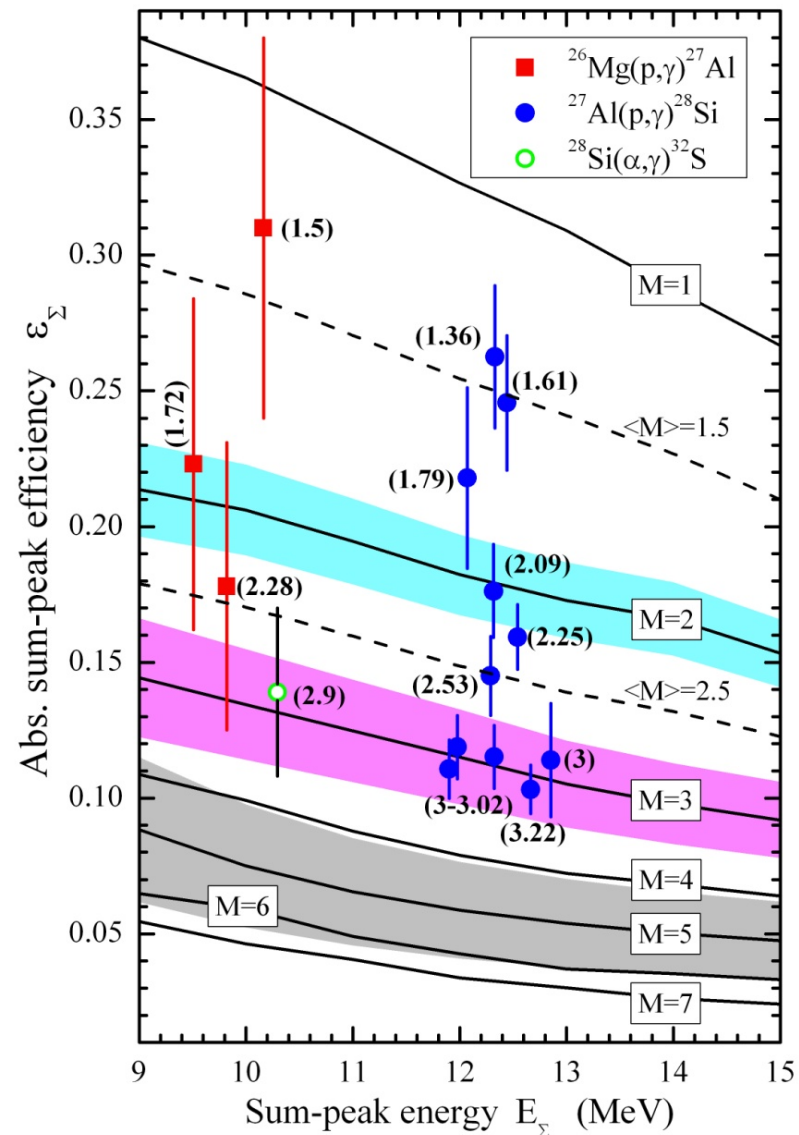
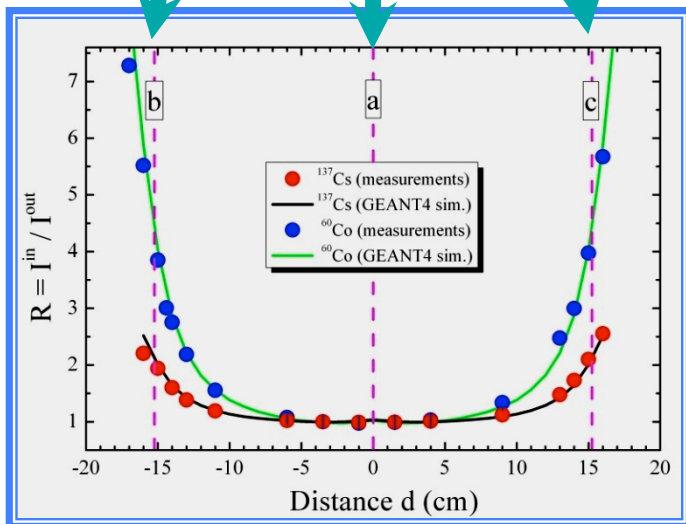
in/out ratios:

$$M=1 \rightarrow R = 2$$

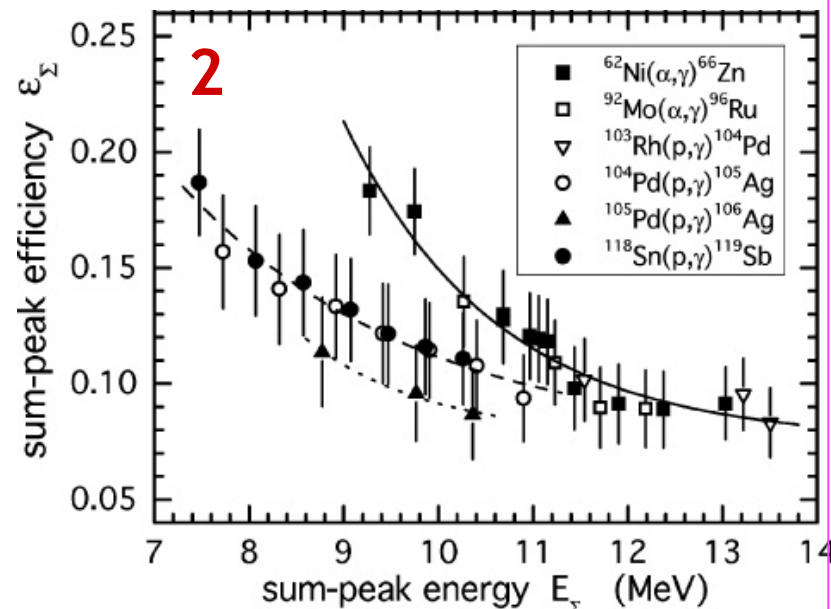
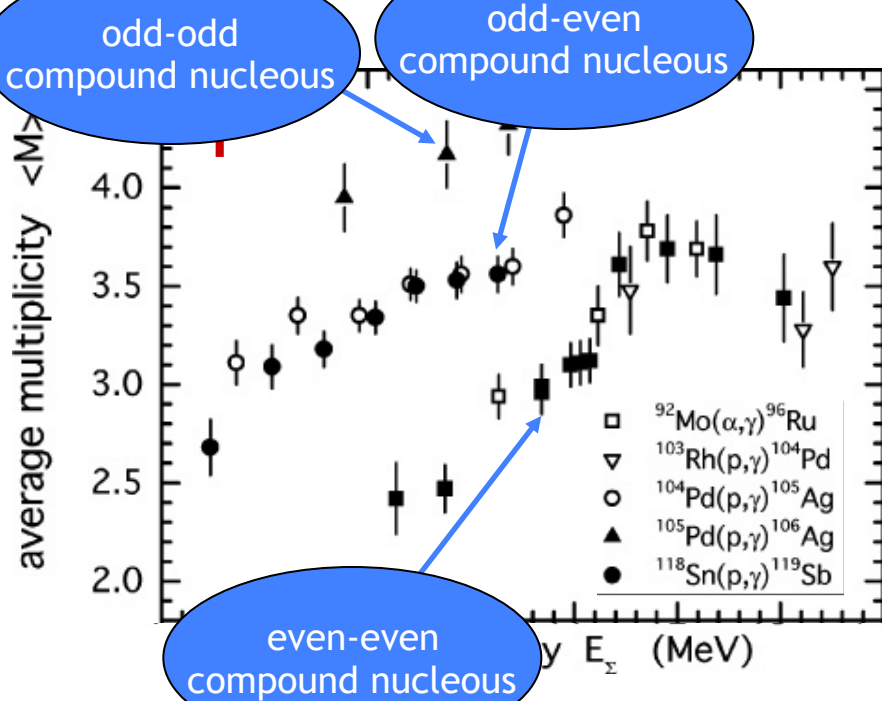
$$M=2 \rightarrow R = 2 \times 2 = 4$$

$$M=3 \rightarrow R = 2 \times 2 \times 2 = 8$$

$$M=4 \rightarrow R = 2 \times 2 \times 2 \times 2 = 16$$



The 4π γ-summing method: Efficiency calculation II

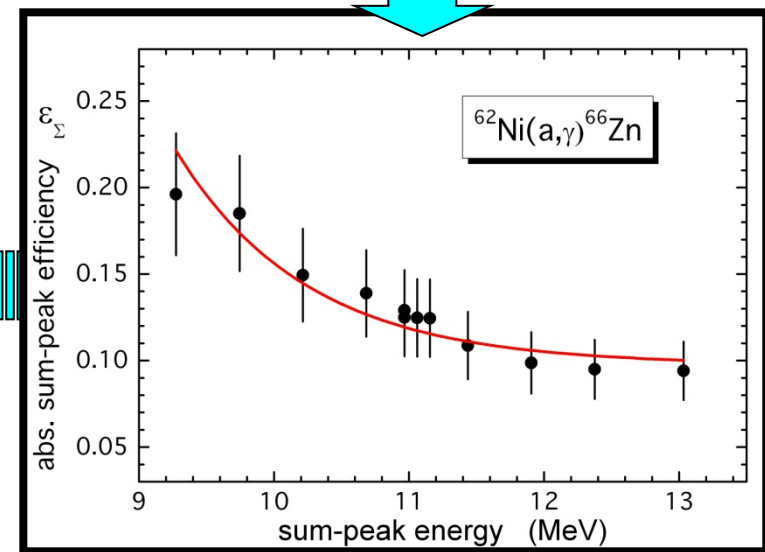
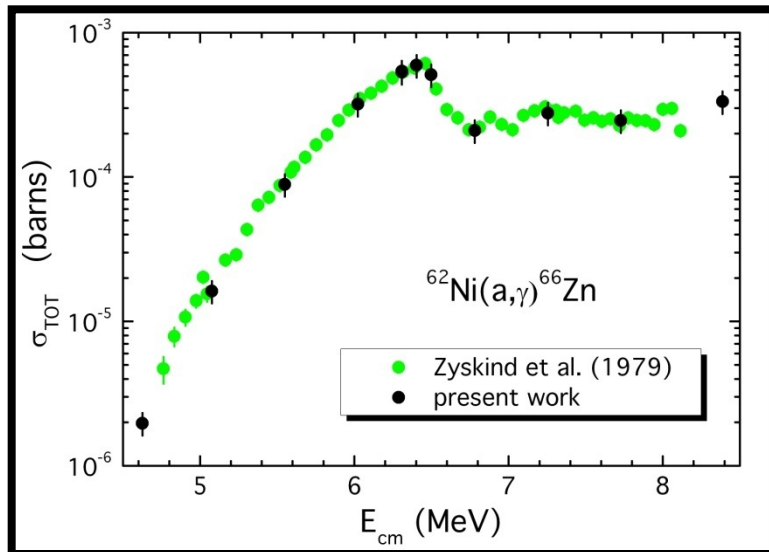
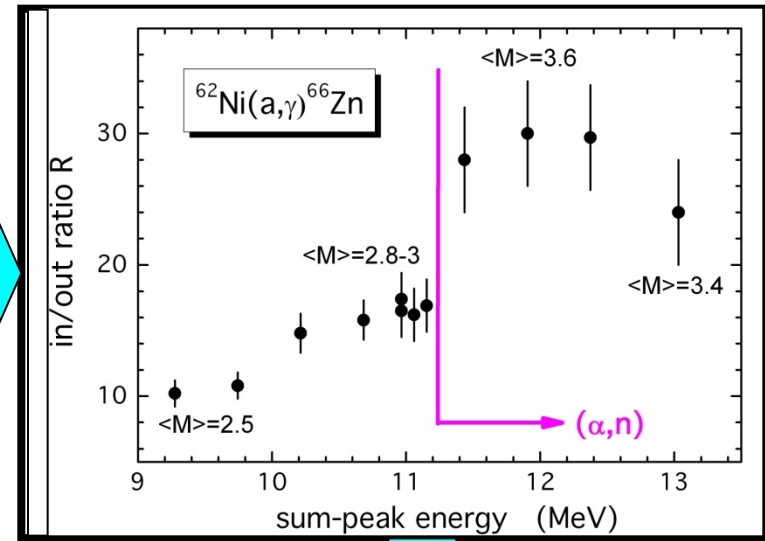
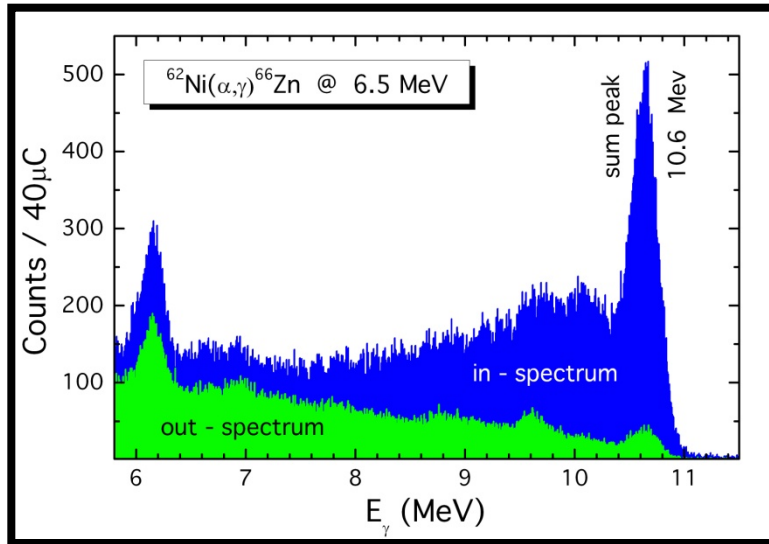


$$\epsilon_{\Sigma} = \epsilon_0 + \alpha \cdot \exp(-E_{\Sigma} / b)$$

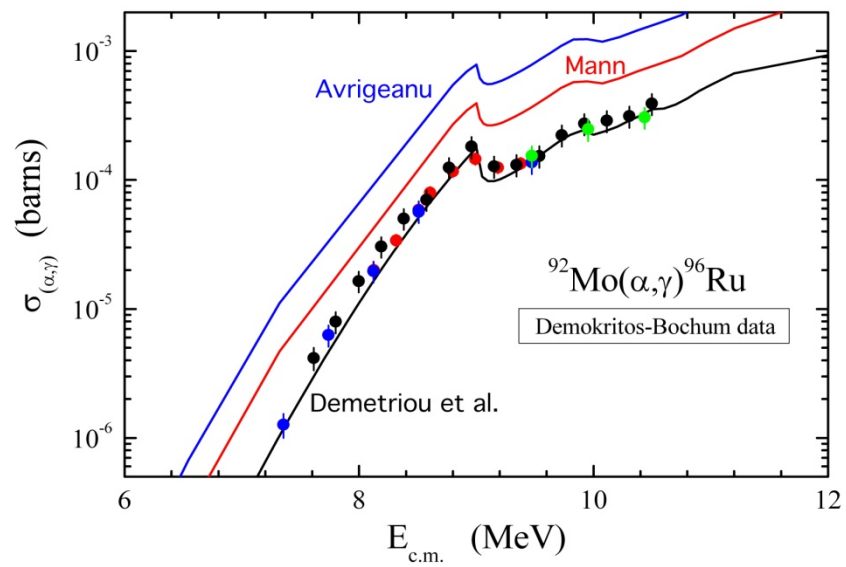
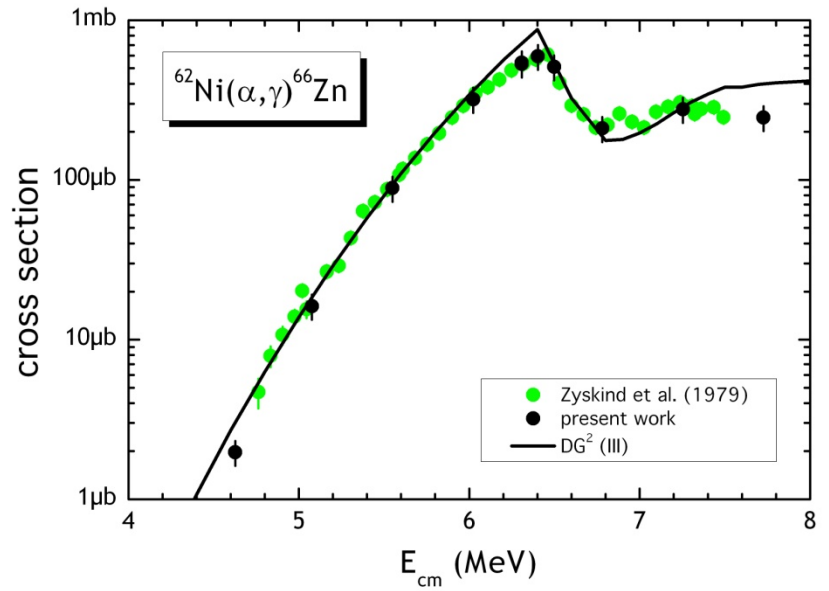
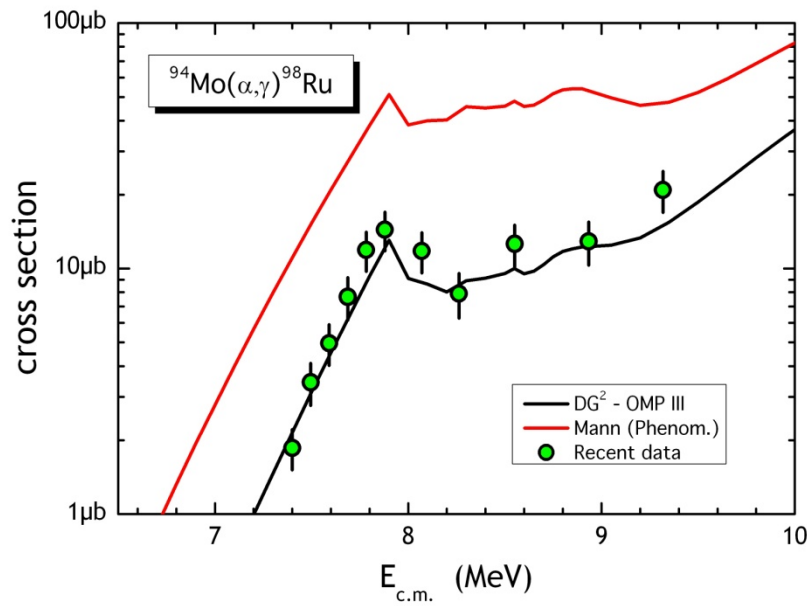
ϵ_0 , α and b vary for even-even, odd-even and odd-odd compound nucleus

Spyrou et al. Phys. Rev. C 76,015802 (2007)

The 4π γ -summing method: Efficiency check with known reactions



(α, γ) results: Comparison with theory



DG²: a global α – optical model potential

Nucl. Phys. A. 707, 253 (2002)

Improved global α -optical model potentials
at low energies

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^b Institute of Physics and Nuclear Engineering, PO Box MG-6, Bucharest, Romania

^c Institut d’Astronomie et d’Astrophysique, Université Libre de Bruxelles, Campus de la Plaine, CP-226,
1050 Brussels, Belgium

$$U = V_c + V + iW + \Delta V$$

Real part V : double-folding method

effective NN interaction:

M3Y -density dependent (Kobos et al, 1984)

projectile density:

n/p densities from elastic scattering data

target density: Hartree-Fock theory

Imag. part W : Woods-Saxon type

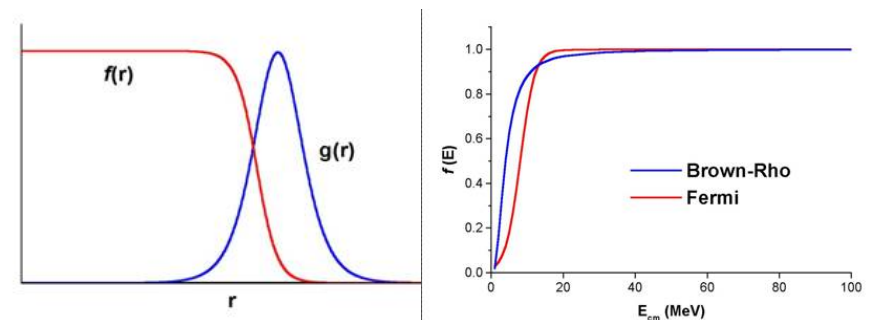
Volume + Surface (ratio, damping C)

geometry: r_W, a_W

Fermi-type energy dependence
of imaginary potential depth fitted

to el. scattering + reaction data at $E < 20$ MeV

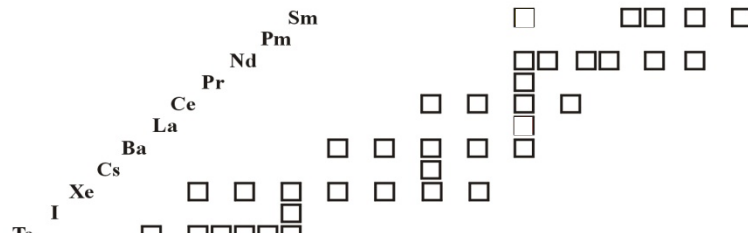
Correction ΔV : dispersive relations



Alpha-particle capture reaction cross-section systematics

Measurements of low-energy (α,γ) reactions

(α,γ) cross section data: 10 isotopes

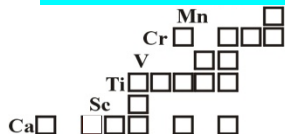


Summary

Few data exist in higher mass regions
where uncertainties are large.

But from experimental point of view such measurements are very challenging:
need high current α beams + target development + efficient γ - arrays.

Perspectives: Explore the unstable mass regions using RIB's



Input parameters in HF calculations

OMP : T_p	NLD : $\rho(U, I)$	γ -ray strength : T_γ
n-N (nucleon-Nucleus)		E1 - transitions
PHENOMENOLOGICAL	PHENOMENOLOGICAL	HYBRID (Modified Lorentz-Lipson)
Becchetti & Greenberg Phys. Rev. 182, 1169 (1969) Koning & Duijvestijn Nucl. Phys. A 713, 231 (2003)	Thielemann-Arnold Proceedings of the International Conference on Nuclear Theory Rauscher ADNDT 61, 1 (1995) S. G. ... J. Nucl. Sc. Tech. 39, 86 (2002)	Goriely Phys. Lett. B 439, 108 (1998)
MICROSCOPIC	MICROSCOPIC	MICROSCOPIC
Jeukenne et al. Phys. Rev. C 16, 1768 (1977) Jeukenne et al. Phys. Rev. C 63, 024607 (2001)	Demetriou et al. - HFBCS Nucl. Phys. A 688, 95 (2001)	Goriely & Khan Nucl. Phys. A 271, 217 (2002)
α - Nucleus		Multipole transitions
PHENOMENOLOGICAL		
Mann Eng. Rep. 1995		Parameterization of
MICROSCOPIC		Jeukenne & Chrien Nucl. Phys. A 468, 285 (1987)
Demetriou et al. double folding - Nucl. Phys. A 707, 59 (2002)		

up to 2 orders of magnitude

up to 40%

3-5%

Nucleosynthesis along the table of isotopes

